Solution Manual for Fundamentals of Fluid Mechanics 7th Edition by Munson Rothmayer Okiishi Huebsch ISBN 1118116135 9781118116135

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1.1 Toe force, *F*, of the wind blowing against a building is given by F = C, p VA/2, where *Vis* the wind speed, *p* the density of the air, *A* the cross-sectional area of the building, and Co is a constant termed the drag coefficient. Detennine the dimensions of the drag coefficient.

0r $C_{*} = 2F/0VA, where F = ML7T$ $V:\overline{LT}'$ $A > L_?$ Thus 0, =(LT''/[(L?@Lr-0] -Mt'71"° is dimensionless. Hence, $F = C_{\rm D} \rho V^2 A / 2$ }-/

1.2 **1.Z** Determine the dimensions, in both the *FLT* system and the MLT system, for (a) the product of mass times velocity, (b) the product of force times volume, and (c) kinetic energy divided by area. (a) $rass^{x}$ velor# = O(Lr') = MLT'inc F ML7? ass^{x} vela.if (r=r)LT!) = rr $\mathcal{V}\mathcal{C} \times \mathcal{V}\mathcal{O}\mathcal{L}\mathcal{C} = \mathcal{V}^{0}$ $= \mathcal{V}\mathcal{O}(1) + \mathcal{M}\mathcal{O}^{2}$ (%) Knetid ener9 $rec = \frac{FL}{L^2} \doteq \frac{FL^{-1}}{L^2}$ (C) $\doteq \left(\frac{MLT^{-2}}{L^2}\right) \stackrel{L}{=} \frac{MT^{-2}}{L}$ 7-2

1.3 1.3 Verify the dimensions, in both the FLT and MLT systems, of the following quantities which appear in Table 1.1: (a) vol• ume, (b) acceleration, (c) mass, (d) moment of inertia (area), and (e) work. (a) Volume = acceleration = lime rle of chang o+ vuloci+ (6) $= \frac{L7'}{T}$ (c) mass = M or $W t F \pm MLT?$ OnAs3+ EL?? (d) moment uf tier $\pm r^{\sim}$ (rec) = second moment of arc =(0)-T (e) work = force x distance er with LT? Work5 $L_R T_{-?}$ 1–3

1.4 Determine the dimensions, in both the FLT system and the MLT system, for (a) the product of force times acceleration, (b) the product of force times velocity divided by area. and (c) momentum divided by volume.

1_

(a) Force < acceleration \doteq (F)(LT3) = <u>FLT</u>? Since $F \doteq MLT^{-2}$, force × acceleration = (mr(tr) \doteq <u>L</u>] (5) are velocity (F)(LT) pt 7. $a.re0 \doteq (L73lur) \pm MT^{3}$



1.5 Verify the dimensions, in both the FLT and MLT systems, of the following quantities which appear in Table 1.1: (a) angular velocity, (b) energy, (c) moment of inertia (area), (d) power, and (e) pressure.

1.5

(a) angular velocity = $\frac{angular_{\pm} displacement}{\pm} = T^{-1}$

(b) ener <> Capacih of body he do work
S7ce ovk = Fore < dis#ante,
cnery = FL
er it p-ML ??
cner = ML ? (t) = L ??
Cc) mmen+ el iner z(are) = second memen# e# ara

$$= (L 4e) - L'$$
(d.) power - ate of de/n workt - FL :: FLT -

$$= 06Lr(/r') - gr3$$

(e) pressure =
$$\frac{force}{area} = \frac{F}{Lz} = \frac{FL^{-2}}{FL^{-2}}$$

 $= (M(T^{-2})(L^{-2}) = ML^{-2}$

I.6

1.6 Verify the dimensions. in both the FLT system and the MLT system, of the following quantities which-appear in Table 1.1: (a) frequenay, (b) stress, (c) strin, (d) torque, and (e)

work.

shres5 = $\frac{40re}{re}$ = $\frac{F}{LZ}$ = $\frac{F7?}{}$ (6) $Smc \notin F \pm I T^2_{I}$ $\neq = L$ kt (aerate) cc) strain = ChAnne in lenth /en4th (d) forque = force × distance = = $(MLT^{-2})(L) = ML^{2}T^{-2}$

(&)	erk = force s	dishane	Ξ	FE
				(ur)/L)= Mgr?

1.7

1.7 If is a velocity, x a length, and ta time, what are the dimensions (in the MLT system) of (a) au/at, (b) aulaxat, and (c) f(0ul t) dx?

(a) $\underbrace{\overset{\sim}{}}_{2\pm}$ \underbrace{LT}_{T} \underbrace{LT}_{-2} \underbrace{LT}_{-2} 0 - 2u - Lr - 72 $(c) \frac{2I 2\pounds}{[=]} dx \frac{(4)(7)}{-(r a - L)^2}$

7

 \pm

1.8

I.8 Verify the dimensions, in both the *FLT* system and the *MLT* system, of the following quantities which appear in Table 1.1: (a) acceleration. (b) stress, (c) moment of a force, (d) volume, and (e) work.

(a) acceleration $\frac{\text{veloci}Z}{+\text{im}\epsilon}$ 72 $\frac{Z}{2}$? (5) $bes5 = \frac{4Force}{are}$; = FL7? $\frac{FL7?}{=}$ Since $F \doteq MLT^{-2}$ $stress \doteq \frac{MLT^{-2}}{L^2} = \frac{ML^{-1}T^{-2}}{L^2}$

c) m_{mZ} of a $TCl = 4 \text{ oyce } x \text{ dshncc} \stackrel{=}{=} \underline{FL}$ = $(Lr?)LS \underline{Ir}?$

O Volume = $(length)^3 \doteq L^3$

(e) work = force x dshance = <u>FL</u> = $(MLT^{-2})L \doteq ML^{2}T^{-2}$

1.9 what $\operatorname{are}^{f} p'$ Pressure, Y a velocity, and p a fluid density, +VO. aka @j["";" = Gn he MLT sys«em) Of «) p/a_{-} () (a) $p = \frac{ML^{-1}T^{-2}}{ML^{-3}} = \frac{L^2T^{-2}}{L^2T^{-2}}$ (b) $\% \not= \% (r)(tr)(-) = M tr^{3}$ $CC \frac{p}{\partial v?} = \frac{AL -7?}{CCCP?_2} = M^{\circ}L^{\circ}T^{\circ} (dimensionless)$ 1-9

1.10 If P is a force and x a length, what are the dimensions (in the FLT system) of (a) dPI dx. () PPIdr, and (c) P dx?

(a)
$$\frac{dP}{dx} - \frac{E}{L} - \frac{FL7?}{dx}$$

1.10

(b)
$$\frac{P}{a^{2}} = \frac{F}{L3} = \frac{FL^{\circ}}{EL^{\circ}}$$

(c) $\left[ea - EL \right]$

[-10

1,1 1.14 If Vis a velocity, \notin a length, and v a fluid property (the kine-matic viscosity) having dimensions of ET', which of the fol-lowing combinations are dimensionless: (a) VE, (b) V&/v, (c) Vy, (d) V/6v? (a) (not dzensiZess) v8 (L . a**6)** °7° (dimensionless) 2/ V (((g) L 7-3 (e) (no<u>k</u>dimensionless) **fr'**) (4)(er-') (d) L^{-2} (nf deosjonless) \boldsymbol{g} /-//

1.f2 1.12If V is a velocity, determine the dimensions of Z, a, and G, which appear in the dimensionally homogeneous equation V = Z(a - 1) + G $\int \frac{1}{2} \int \frac{7}{(\#-1)} + G}{(1N(-)) + (6J)}$ Shee catch ~err » The <4alien mus# have the same dimensions, it flos the! Z=LT Gd. = $p?[97^{\circ}]$ (dimensionless ance object uoih « number) $G \doteq \underline{LT}^{-1}$

1.13 J,[3The volume rate of flow, Q, through a pipe containing a slowly moving liquid is given by the equation 0- Z where R is the pipe radius, Ap the pressure drop along the pipe, α fluid property called viscosity ($F \bot T$), and & the length of pipe. What are the dimensions of the constant 7/8? Would you classify this equation as a general homogeneous equation? Explain. $\begin{bmatrix} L^3 T^{-1} \end{bmatrix} \doteq \begin{bmatrix} \frac{\pi}{8} \end{bmatrix} \begin{bmatrix} L^4 \end{bmatrix} \begin{bmatrix} FL^{-2} \end{bmatrix}$ $\begin{bmatrix} L^{3}T^{-1} \end{bmatrix} \doteq \begin{bmatrix} T \\ 8 \end{bmatrix} \begin{bmatrix} L^{3}T^{-1} \end{bmatrix}$ $Cons \pm ant \quad 7/\% \quad Is \quad \text{dimension } less$ $O4ale_{*} \quad 3 \quad (1 \quad eneral \quad homo9eneo \ 5$ $b_{*} \quad b_{*} \quad a_{+} \quad s \quad vah'd \quad o \quad conslShe$ $4'_{+} \quad 5^{+em}. \quad Yes$ **O** d Cons Shet

. [+

[.IA According to information found in an old hydraulics book, the energy loss per unit weight of fluid flowing through a nozzle connected to a hose can be estimated by the formula

h = (0.04 to 0.09) MD/4 v/2g

where h is the energy loss per unit weight, D the hose diameter, d the nozzle tip diameter, V the fluid velocity in the hose, and g the acceleration of gravity. Do you think this equation is valid in any system of units? Explain.

 $\% = (04 \% e^{2+})(g) \frac{V^2}{23}$ - 2---- 135@/7 $1 - [\%s \gg + - \ll 7[\pm]$

mice eac} +ert The ega#n mus± have The same dimensions, The Cons#rl +em (0.0w h00) mush b. dimensionless. Thus_ The ea&ti is « 9renal home eneeus EKZ, #hal is valid r any 55#m of units. Yes..

1.1s

1.*15* The pressure difference, *Ap*, across a partial blockage in an artery (called a *stenosis*) is approximated by the equation

$$AW = K$$
.

where V is the blood velocity, μ the blood vis-

cosity (FLT), p the blood density (ML), Dthe artery diameter, A the area of the unobstructed artery, and A_1 the area of the stenosis. Determine the dimensions of the constants K, and $K_{,.}$ Would this equation be valid in any system of units?

$$\begin{split} \Delta p &= k_{\nu} \frac{\mu V}{D} + \kappa_{\mu} \left[\frac{A_{0}}{A_{1}} - I \right]^{2} \rho V^{2} \\ \left[FL^{-2} \right] &\doteq \left[k_{\nu} \right] \left[\left(\frac{FT}{L^{2}} \right) \left(\frac{L}{P} \right) \left(\frac{L}{L} \right) \right] + \left[K_{\mu} \right] \left[\frac{(L^{2})}{(L^{2})} - I \right]^{2} \left[\frac{FT^{2}}{L^{4}} \right] \left[\frac{L}{T} \right]^{2} \\ \left[FL^{-2} \right] &\doteq \left[K_{\nu} \right] \left[FL^{-2} \right] + \left[K_{\mu} \right] \left[FL^{-2} \right] \end{split}$$

Since & ch term mas# have fhe same dimensions, , Ond K, are **Tresionless**, Thus, the egd#ion is a eneral homogeneous & 4a + io Th+ wold be va/icl in @ N Consis#et sys#em @ Y uni#s. Yes.

I16

1.0

I. 16 Assume that the speed of sound, c, in a fluid depends on an elastic modulus, E_{n} , with dimensions FL^2 , and the fluid density, p, in the form $c = (E, \mathcal{I}(p))$. If this is to be a dimensionally homogeneous equation, what are the values for a and b? Is your result consistent with the standard formula for the speed of sound? (See Eq. 1.19.)

 $C = (E_{\nu})^{a} (\rho)^{b}$ Since $C \doteq LT^{-1}$ $E_r \doteq FL^{-2}$ $\rho = FL^{-4}T^2$ $\begin{bmatrix} \frac{L}{T} \end{bmatrix} \doteq \begin{bmatrix} \frac{F^{a}}{L^{-2a}} \end{bmatrix} \begin{bmatrix} \frac{F^{b}T^{2b}}{L^{-4b}} \end{bmatrix}$ (1)

Foy hvensionall, homogeneous <(U"tic each +erm th The efuato mus+ ha. The sane dimessons. Tu5 the right hand side of Eg. () mus huve The driers-ts of L7! There Ve,

1,11

C+b=0 (to eliminate F) 2)=-1 (Ze sattsf, color >> Th Za+44b=-1 (hsf, dedf, en L)

r4 follows that $a_{=!-}$ and $b_{=-}^{1/2}$ that 7^{2}

Thu es't s Consistert with The shodad lormla So he peed ef sound. Yes.

1-ls

a h

1.17 A formula to estimate the volume rate of flow, Q, flowing over a dam of length, B, is given by the equation

 $Q = 3.09BH_{2}$

where H is the depth of the water above the top

1.17

h*i 1:*

of the dam (called the head). This formula gives Q in ft/s when B and H are in feet. Is the constant, 3.09, dimensionless? Would this equation be valid if units other than feet and seconds were used?



jnce each erm in the equation mus# have the same dimensions the tons#an+ 30 mus} he dimensions of /7 and is thereve not dimensionless No. Zee The cstar# hus dimensions i#s vale till channe z th a change in nis. Lo,

1-%

1. 18 The force, *P*, that is exerted on a sphereical particle moving slowly through a liquid is given by the equation

P = 3DV

1.18

where p is a fluid property (viscosity) having dimensions of FLT, D is the particle diameter, and V is the particle velocity. What are the dimensions of the constant, 3n? Would you classify this equation as a general homogeneous equation?

P = nADY[r] + [3r(=e -@4r? [r-[»[r

. 37r s dimensionless, and the egua#on is a general homogeneous equation. Yes.

420 1.20 Make use of Table 1.3 to express the following quantities in SI units: (a) 10.2 in./min, (b) 4.81 slugs, (e) 3.02 lb, (d) 73.1 ft/s², (e) 0.0234 lb·s/ft. (a) $a_{\cdot}, = (le_{\overline{m}})(soz)('z)$ $= 432 20^{-3} \frac{m}{5} = +32 73E$.e) 31 sInr= (s sees)(tsres ft)- 7a #g de) $30_2 I_0 \cdot (e_2)$ (nus { $l = 1a_N$ (d) $73.1\frac{ft}{5^2} = (73.1\frac{ft}{5^2})(3.048\times10^{-1}\frac{m}{5^2}) = 22.3\frac{m}{5^2}$ Ge) $002.3 \stackrel{lb\cdot s}{-5} (e. oz3u \pm 1)^{52} (728800^{-5})$ £t 4+?#b.s ± t.12 N·s 1-18

í. 421 Make use of Table 1.4 to express the 1.21 following quantities in BG units: (a) 14.2 km, (b) 8.14 N/n', (c) 1.61 kg/m', (d) 0.0320 Nm/s, (e) 5.67 mm/hr. (a) /42 % = (ZW») (Z5±)• 44% ~ 4t (b) & 1 (e+)z.ce'#) • 5,18 ~ 2 !! (c) 1.61 $\frac{kg}{m^3} = (1.61 \frac{kg}{m^3}) (1.940 \times 10^{-3} \frac{N_{1495}}{ft^3}) = \frac{1}{537}$ £e3 $(I) = 0.0320 \frac{N \cdot m}{5} (0.0320 \frac{N \cdot m}{5}) (7.376 \times 10^{-1} \frac{f + .15}{5})$ $= 2.36 \times 10^{-2} \frac{f + .15}{5} \frac{5}{5}$ $\frac{mm}{hr} = \left(5.67 \times 10^{-3} \frac{m}{hr}\right) \left(3.281 \frac{ft}{m}\right) \left(\frac{1 hr}{3600 s}\right)$ å*e*) 5,%7 5./7 10 44

122
1.22 Express the following quantities in SI units: (a) 160 acc.
(b) 15 gallons (U.S.), (c) 240 miles, (d) 72.1 hp. (c) 60.3 E
(a) 160 accre = (160 accre)(4.356 × 10⁴
$$\frac{f_{12}}{acc})(9.240 \times 10^{-2} \frac{m^{2}}{gt^{2}})$$

 $= (6.47 \times 10^{5} m^{2})$
(b) 15 gallons = (15 gallons)(3.785 $\frac{f_{14}er}{gallon})(10^{-3}m^{3}) = 56.8 \times 10^{2} m^{3}$
(c) 2% = = (e 2)(Sf;)(VWi^{1}f) = 51.8^{33}
(d) hp El, s
and [\pm - VW ss hat
79.1 hp = 5.90.20⁴ W
(c) T=5(90r-3) = 18.7'c
- 15.7C + 273 = 28 <