## Test Bank for Intro Stats 4th Edition Veaux Velleman Bock 0321825276978032182527

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Test Bank:
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## Solution Manual:

https://testbankpack.com/p/solution-manual-for-intro-stats-4th-edition-veaux-velleman-bock-0321825276-9780321825278/

## Chapter 24 (on DVD) <br> Analysis of Variance

## Solutions to Class Examples

1. See Class Example 1.
2. Solution to Class Example 2:

Analysis of Variance Table

| Source Sum of Squares DF Me an Square $\boldsymbol{F}$ Ratio P-value |  |  |  |
| :--- | :---: | :---: | :--- |
| Pizza | 97.75 | 9 | 10.861 |
| Error | 611.2573 | 70 | 8.2833 |
| Total | 709.0079 |  |  |

Even though the $P$-value of 0.2833 would usually provide no evidence of a difference in the mean fat content of pizzas sold by these 10 national chains, the boxplots and summary statistics indicate that the spreads of the 10 groups are not plausibly the same. The conditions for the $F$-test are not met.

## Statistics Quiz - Chapter 24

Name
Of the 23 first-year male students at State U. admitted from Jim Thorpe High School, 8 were offered baseball scholarships and 7 were offered football scholarships. The

| Composite ACT Score |  |  |
| :---: | :---: | :---: |
| Baseball | Non-athletes | Football |
| 25 | 21 | 22 |
| 22 | 27 | 21 |
| 19 | 29 | 24 |
| 25 | 26 | 27 |
| 24 | 30 | 19 |
| 25 | 27 | 23 |
| 24 | 26 | 17 |
| 23 | 23 |  |

University admissions committee looked at the students' composite ACT scores (shown in the table), wondering if the University was lowering their standards for athletes.
Assuming that this group of students is representative of all admitted students, what do you think?

1. Test an appropriate hypothesis and state your conclusion.
2. Are the two sports teams mean ACT scores different?

Statistics Quiz-Chapter 24 - Key

Depending on your class situation, you may want to include the plots and output here for this quiz. Otherwise, the student will need access to a software package.

1. $H_{0}: \mu_{F}=\mu_{B}=\mu_{N A}$ vs. $H_{A}:$ not all the means are equal.

We assume these students are representative of all admissions. Scores for the groups are independent. Boxplots of the three groups show similar variance and no outliers.

## Analysis of Variance Table

|  | Sums of Squares | Mean <br> Squares | $\boldsymbol{F}$-ratio | $\boldsymbol{P}$-value |  |
| :--- | :--- | ---: | ---: | ---: | ---: | ---: |
| Team | 71.00 | 2 | 35.50 | 4.56 | 0.023 |
| Error | 155.61 | 20 | 7.78 |  |  |
| Total | 226.61 | 22 |  |  |  |

## Means and Std Deviations

| Level | Number | Mean | Std Dev |
| :---: | :---: | :---: | :---: |
| Baseball | 8 | 23.375 | 2.0658 |
| Football | 7 | 21.857 | 3.2877 |
| Non Athlete | 8 | 26.125 | 2.9489 |

The nearly Normal condition appears to be met from the Normal probability plot:

With a $P$-value this low we reject the null hypothesis (even with this small sample size!). There is evidence that average composite ACT scores for the three groups are not the same.

2. To get a $95 \%$ confidence interval for the difference between the baseball and football players, we replace
the $t^{*}$ critical value at $\alpha=.05$ with a $t^{* *}$ value at $\alpha=.05 / 3=.01667$. For 20 degrees of freedom, $t^{* *}=2.162$. The pooled standard deviation is $s_{\mathrm{p}}=2.79$ points. The mean ACT of the baseball players is 23.375 and 21.857 for football players, so the Bonferroni confidence interval for the difference is:
$23.375-21.857 \pm t^{* *} \times S_{p}=1.518 \pm \quad \sqrt{\frac{1}{n_{B}}+\frac{1}{n_{F}}}$ $2.162 \times 2 \sqrt{\overline{79}{ }^{1-}}+$
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$$
=(-2.26,5.28) \text { points. }
$$

So we conclude that there is not sufficient evidence of a difference between the mean ACT of the two teams.

