# Test Bank for Numerical Analysis 10th Edition Burden Faires Burden 13052536639781305253667 

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Numerical Analysis 10E Name (Print):
Chapter 02 Solutions Of Equations In One Variable
1.(10 points) The equation $f(x)=x^{2}-2 e^{x}=0$ has a solution in the interval $[-1,1]$. (a)(5 points) With $p_{0}=-1$ and $p_{1}=1$ calculate $p_{2}$ using the Secant method. (b)(5 points) With $p_{2}$ from part
(a) calculate $p_{3}$ using Newton's method.
2.(15 points) The equation $f(x)=2-x^{2} \sin x=0$ has a solution in the interval [1,2].
(a)(5 points) Verify that the Bisection method can be applied to the function $f$
( $x$ ) on [-1,2]. (b)(5 points) Using the error formula for the Bisection method find the number of iterations needed for accuracy 0.000001. Do not do the Bisection calculations.
(c)(5 points) Compute $p_{3}$ for the Bisection method.
3.(15 points) The following refer to the fixed-point problem
(a)(5 points) State the theorem which gives conditions for a fixed-point sequence to converge to a unique fixed point.

$$
2-x^{3}+
$$

(b)(5 points) Given
$2 x$, use the theorem to show that the fixed

$$
=\quad g(x)
$$

$\qquad$

## Solutions Of Equations In One Variable

-point se-
quence will converge to the unique fixed-point of $g$ for any $p_{0}$ in $[-1,1.1]$.
(c)(5 points) With $p_{0}=0.5$ generate $p_{3}$.
4.(10 points) Suppose the function $f(x)$ has a unique zero $p$ in the interval [a, b]. Further, suppose $f^{j j}(x)$ exists and is continuous on the interval [a,b].
(a)(5 points) Under what conditions will Newton's Method give a quadratically convergent sequence to $p$ ?
(b)(5 points) Define quadratic convergence.

$$
2-x^{3}+2 x
$$

5.(10 points) Let $g(x)$ $\qquad$ on the interval $[-1,1.1]$. Let the initial value be o and 3 compute the result of 2 iterations of Stefffensen's Method to approximate the solution of $x=g(x)$.
1.(10 points) The equation $f(x)=x^{2}-2 e^{x}=0$ has a solution in the interval [$1,1]$.
(a)(5 points) With $p_{0}=-1$ and $p_{1}=1$ calculate $p_{2}$ using the Secant method.
(b)(5 points) With $p_{2}$ from part
(a) calculate $p_{3}$ using Newton's method.
2.(15 points) The equation $f(x)=2-x^{2} \sin x=0$ has a solution in the interval [1,2].
(a)(5 points) Verify that the Bisection method can be applied to the function $f$ (x) on [-1,2].
(b)(5 points) Using the error formula for the Bisection method find the number of iterations needed for accuracy 0.000001. Do not do the Bisection calculations.
(c)(5 points) Compute $p_{3}$ for the Bisection method.
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(a)(5 points) State the theorem which gives conditions for a fixed-point sequence to converge to a unique fixed point.

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(b)(5 points) Given $2 x$, use the theorem to show that the fixed $g(x)$ point se $=\quad$ _ 3
quence will converge to the unique fixed-point of $g$ for any $p_{0}$ in $[-1,1.1]$. (c)(5 points) With $p_{0}=0.5$ generate $p_{3}$.
4.(10 points) Suppose the function $f(x)$ has a unique zero $p$ in the interval $[\mathrm{a}, \mathrm{b}]$. Further, suppose $f^{j j}(x)$ exists and is continuous on the interval [a,b].
(a)(5 points) Under what conditions will Newton's Method give a quadratically convergent sequence to $p$ ?
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Solutions Of Equations In One Variable

